

OPTICAL PUMPING MEASUREMENT OF VALENCE BAND  
 SPIN-ORBIT SPLITTING IN  $\text{Ga}_x\text{In}_{1-x}\text{As}_y\text{P}_{1-y}$

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We have studied by optical pumping the band structure of  $\text{Ga}_x\text{In}_{1-x}\text{As}_y\text{P}_{1-y}$  which can be grown nearly lattice-matched on InP ( $x \approx 0.47y$ ) and has important opto-electronic device applications. We have determined the band gaps ( $E_0$ ,  $E_0 + \Delta_0$ ) and the light hole mass as a function of composition. We explain the measured variation of these parameters by an extension of the ternary alloys band theory.

I. Principle of the Experiment

Optical pumping, i.e. excitation of the semiconductor by circularly polarized  $\sigma^\pm$  light of energy  $h\nu$  larger than the band gap  $E_0$ , creates conduction electrons with a polarization  $P_i$  characteristic of the band structure and of the light polarization [1]. Measuring the variation of  $P_i$  as a function of  $h\nu$  gives informations on the semiconductor band structure [2].

In a p-type zinc-blende direct gap semiconductor  $P_i$  is equal to +0.5 for  $\sigma^-$  excitation of energy  $h\nu = E_0$  [1]. When  $h\nu$  is increased from  $E_0$  to  $E_0 + \Delta_0$  (where  $\Delta_0$  is the valence band spin-orbit splitting) there is an additional contribution of opposite sign to  $P_i$  due to optical transitions from the split-off valence band. This reduces  $P_i$ , and a kink results in the variation of  $P_i$  with  $h\nu$  [2] at  $h\nu = E_0 + \Delta_0$  as was first evidenced in pure GaAs [3][4]. The detailed shape of  $P_i(h\nu)$  is determined by the joint density of states relevant to the optical transitions from the valence bands to the conduction band. It can thus be related to the carriers effective masses by Kane's 4-band  $\vec{k} \cdot \vec{p}$  perturbation theory through the parameter  $\beta$  [2]

$$\beta = \frac{4}{3} \frac{(1/m_c) + 0.75(1/m_l) + 0.25(1/m_h)}{(1/m_l) - (1/m_h)}, \quad (1)$$

where  $m_c$  is the electron effective mass,  $m_l(m_h)$  the light (heavy) hole mass.

To deduce  $P_i(h\nu)$  from the luminescence circular polarization we observe the band-to-shallow-acceptor luminescence line, due to thermalized electrons at the bottom of the conduction band. For  $\sigma^-$  excitation, this line polarization is equal to  $0.5P(h\nu)$  [1]. The steady-state electronic polarization  $P(h\nu)$  is the product of  $P_i(h\nu)$  by a

relaxation term :

$$P(h\nu) = P_i(h\nu) T_1 / (T_1 + \tau) , \quad (2)$$

where  $T_1$  is the electron spin relaxation time,  $\tau$  its lifetime.

Consequently, by measuring the luminescence circular polarization, it is possible to deduce the variation of  $P_i(h\nu)$  through eq.(2), provided the ratio  $T_1 / (T_1 + \tau)$  is energy independent. This restriction sets conditions on the electron thermalization in the conduction band [4] [5].

## II. Experiment and Analysis of the Results

We have applied the above technique to liquid phase epitaxy layers of Zn p-doped  $Ga_xIn_{1-x}As_yP_{1-y}$  of concentration  $\sim 10^{24}m^{-3}$ . The sample compositions and the experimental results are summarized in Table I. The samples cooled at 1.7K or 77K are excited by circularly polarized light from an infrared c.w. dye laser [6] (for  $y = 0.34$ ) or a mercury lamp filtered by a monochromator ( $y > 0.34$ ). We observe their luminescence and polarized luminescence as a function of excitation energy  $h\nu$ .

Table I

x	y	$E_0$ eV	$E_0 + \Delta_0$ eV	$\beta$	$m_c/m_0$	$m_l/m_0$
0	0	$1.423 \pm 0.0005^a$	$1.531 \pm 0.0025^a$	$4.1 \pm 0.5^*$	$0.079^a$	$0.12 \pm 0.01^a$
0.16	0.34	$1.19 \pm 0.01$	$1.37 \pm 0.005^*$	$4.2 \pm 0.4^*$	$0.066^b$	$0.109 \pm 0.011$
0.30	0.61	$1.035 \pm 0.01$	$1.29 \pm 0.01$	$3.4 \pm 0.4$	$0.052^b$	$0.072 \pm 0.01$
0.39	0.84	$0.875 \pm 0.01$	$1.18 \pm 0.01$	$3.2 \pm 0.3$	$0.046^b$	$0.061 \pm 0.007$
0.47	1	$0.80 \pm 0.01$	$1.15 \pm 0.01^*$	$3.0 \pm 0.2^*$	$0.041^b$	$0.051 \pm 0.005$

The data are taken at 1.7K and  $m_0$  is the free electron mass:

<sup>a</sup>Ref. [17]

<sup>b</sup>Ref. [7]

\*Calculated from the data of [17]

\*These results were the same at 1.7K and 77K

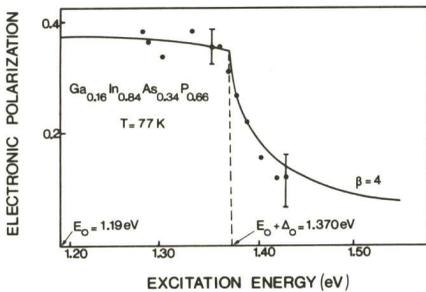


Fig.1 Variation of the electronic polarization P with excitation energy  $h\nu$ : The dots are the experimental data, the solid line is calculated from [2]

The dots on Fig.1 present the experimental variation of the electronic polarization  $P(h\nu)$  obtained at 77K on a sample with  $x = 0.16$ ,  $y = 0.34$ , the luminescence of which is centered at 1.170 eV. These data are taken at constant low excitation level, necessary to keep the relaxation factor constant in eq.(2). The full curve is the variation of  $P_i(h\nu)$  predicted by D'yakonov and Perel' [2]. The polarization is normalized to the value at the band gap  $P = 0.39$ . The kink occurs at  $1.370 \pm 0.005 \text{ eV}$ , which yields  $E_0 + \Delta_0$ . The energies are scaled using for  $E_0$  the threshold of the luminescence excitation spectrum ( $E_0 = 1.19$

$\pm 0.01 \text{ eV}$  in this sample). We deduce  $\Delta_0 = 0.18 \pm 0.015 \text{ eV}$ . From the shape of the curve we find  $\beta = 4.2 \pm 0.4$ . The good fit of these data

shows a posteriori that the relaxation factor of eq.(2) is independent of  $h\nu$ .

The other data are given in Table I. In the samples studied at 1.7K and 77K,  $E_0 + \Delta_0$  takes the same value for both temperatures. For alloys with  $y > 0.34$  the resolution on  $E_0 + \Delta_0$  is only 0.01 eV, because of weaker signal due to mercury lamp excitation.

III. Discussion

The dependence of  $P_i(h\nu)$  on  $\beta$  given in [2] neglects the admixture of the upper conduction band  $\Gamma_5^C$  into  $\Gamma_5^V$  in a non-centrosymmetric semiconductor, as well as the change with energy of the conduction band wavefunction. However due to the experimental uncertainty our results on  $\beta$  are not affected by these approximations. We observe a decrease in  $\beta$  with increasing  $y$ . The conduction mass  $m_c$  has been measured in  $Ga_xIn_{1-x}As_yP_{1-y}$  [7][8]. The heavy hole mass  $m_h$  is close to 0.5 in InP, InAs and GaAs [9]. Moreover measurements of  $m_h$  give about 0.5 for two different compositions of this quaternary compound [10]. So we assume that  $m_h$  keeps this same value for all alloys. Using eq.(1) and the measurements of  $m_c$  [7] we deduce the light hole masses as a function of composition. These values are close to linear interpolation between those in InP, InAs and GaAs, and are in agreement with magnetorefectance measurements [10].

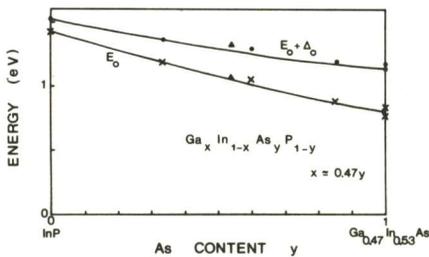


Fig.2 Variation of  $E_0$  (x) and  $E_0 + \Delta_0$  (•) as a function of alloy composition in  $Ga_xIn_{1-x}As_yP_{1-y}$ : The data of [11] are shown by triangles. The solid lines are our predictions

The variations with composition of  $E_0$  and  $E_0 + \Delta_0$  are plotted on Fig.2. The previous determinations of  $E_0$  and  $E_0 + \Delta_0$  in  $Ga_{0.21}In_{0.79}As_{0.54}P_{0.46}$  shown by triangles, fall close to our results [11]. The very recent room temperature electroreflectance measurements of  $E_0$  and  $E_0 + \Delta_0$  [12] indicate a more pronounced bowing than our results. Our value of  $\Delta_0$  in  $Ga_{0.47}In_{0.53}As$  agrees with the room temperature determination of [13]. The theoretical curve is calculated using the dielectric model of Van Vechten and Bergstresser [14]: as in a ternary alloy, we separate the  $E_0$  bowing into the virtual crystal (VC) and disorder contributions.

Since the VC term is related to lattice constant variation [15], it is negligible in  $Ga_xIn_{1-x}As_yP_{1-y}$ , as all alloys are lattice matched to InP. Here the disorder term includes contributions from anion and cation. We take it equal to :

$$(1/A) [C_{As-P}^2 y(1-y) + C_{Ga-In}^2 x(1-x)] , \tag{3}$$

where  $A = 1.0$  eV, and  $C_{As-P}$  and  $C_{Ga-In}$  are electronegativities differences [14], so that the quadratic term is  $\sim 0.15y^2$ . This term reduces  $E_0$  from the linear interpolation between the InP and virtual crystal  $Ga_{0.47}In_{0.53}As$  gaps. The variation with  $y$  of  $E_0 + \Delta_0$  is predicted following [13] and reducing again the bowing to the disorder contribution (3). The fit is good for both  $E_0$  and  $E_0 + \Delta_0$ , whereas the previous procedure gave a systematically too strong bowing for  $E_0(y)$  [16]. Our predicted  $E_0$  bowing falls close to the room temperature photoluminescence results on  $E_0(y)$  [16].

In conclusion, we have been able to justify the variation of the band gaps in  $Ga_xIn_{1-x}As_yP_{1-y}$  by an elementary extension of the ternary alloys theories. The weak experimental bowing comes from the absence of VC contribution in this special case.

V. Acknowledgments

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