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Compound Nucleus Analyzing Power in  $^{28}\text{Si}(\vec{p}, p')$   
 Inelastic Scattering

S.Yu.Kun, A.I.Kovalenko and I.Yu.Tsekhmistrenko

Institute for Nuclear Research of the Academy  
 of Sciences of the Ukrainian SSR, Kiev 252028, USSR

The differential cross section  $\sigma$  and differential analyzing power (AP)  $A$  for reactions with the  $1/2 + J_1 \rightarrow J_2 + J_3$  spin structure may be put down in the following form

$$\sigma = a + b, \quad A = (a - b)/\sigma. \quad (1)$$

Correspondingly the partial cross sections (PCS)  $a$  and  $b$  are equal to

$$a = \sigma(1+A)/2, \quad b = \sigma(1-A)/2. \quad (2)$$

The energy averaged PCS  $\langle a \rangle$  and  $\langle b \rangle$  have the forms

$$\langle a \rangle = a_d + \langle a_{f1} \rangle, \quad \langle b \rangle = b_d + \langle b_{f1} \rangle, \quad (3)$$

where  $a_d$  and  $b_d$  are the direct reaction PCS and  $\langle a_{f1} \rangle$ ,  $\langle b_{f1} \rangle$  are averaged compound nucleus (CN) ones. In order to determine the CN AP  $A_{CN}$  it is necessary to find and to compare  $\langle a_{f1} \rangle$  and  $\langle b_{f1} \rangle$ .

Let us investigate, for example,  $A_{CN}$  in the  $^{28}\text{Si}(\vec{p}, p')$  proton inelastic scattering at  $E_p = 12-18$  MeV,  $\vartheta = 140^\circ$  with excitation of the  $4_1^+(4.61 \text{ MeV})$  level of  $^{28}\text{Si}$  <sup>1)</sup>. To obtain  $\langle a_{f1} \rangle$  and  $\langle b_{f1} \rangle$  we use the statistical correlation (SC) method <sup>2)</sup>. Namely, after trend-reduction of the data by averaging over 650 keV interval <sup>1)</sup> we study the correlation dependences of the  $\langle r^2(y) \rangle$  variance for PCS  $a$  and  $b$  versus  $y$ . Histograms in Fig.1 have been drawn by taking, in analogy with <sup>2)</sup>, the number of sets  $y$  and  $r$  differed by energy shifts  $e \leq 1$  MeV. The values of shifts have been chosen from the condition of uncorrelation between  $a(E)$  and  $a(E+e)$  as well as between  $b(E)$  and  $b(E+e)$  on the 10% level of the statistical accuracy. From Fig.1 it is seen that the correlation dependence  $\langle r^2(y) \rangle$  for PCS  $a$  is considerably weaker than for PCS  $b$ . Hence, taking into account the equality (within 5% limit) of normalized variances (NV) of  $a$  and  $b$  ( $NV_a = 0.107$ ,  $NV_b = 0.113$ ) we arrive at the reliable inequality  $y_d^a < y_d^b$ . Here  $y_d^a = a_d / \langle a \rangle$ ,  $y_d^b = b_d / \langle b \rangle$ . For averaged PCS the analysis gives (in relative units):  $\langle a \rangle = 0.773$ ,  $\langle b \rangle = 0.573$ . Using the relations

$$\langle a_{f1} \rangle = (1 - y_d^a) \langle a \rangle, \quad \langle b_{f1} \rangle = (1 - y_d^b) \langle b \rangle, \quad (4)$$

we obtain for  $A_{CN}$  the lowest limit which corresponds to the equality  $y_d^a = y_d^b$ :

$$A_{CN} = (\langle a_{f1} \rangle - \langle b_{f1} \rangle) / (\langle a_{f1} \rangle + \langle b_{f1} \rangle) = 0.15 \quad (5)$$

For  $y_d^a < y_d^b$  the value of  $A_{CN}$  can only increase. In addition, it is

easy to make sure that not only  $A_{CN} \neq 0$  but also  $N_a \neq N_b$ , where  $N_a$  and  $N_b$  are numbers of the independent channels for a and b PCS.

Thus, even the simplest SC analysis <sup>2)</sup> reveals the deviations from Bohr's CN model:  $A_{CN} \neq 0$  and  $N_a \neq N_b$  <sup>3)</sup>. It supports the predictions of the latest CN theories <sup>4)</sup> that CN phases in the presence of direct reactions can be correlated. The consideration for  $\vartheta = 160^\circ$  as well as for the excitation of  $2_1^+(1.78 \text{ MeV})$  level of  $^{28}\text{Si}$  is not so obvious and will be published elsewhere.

Hence, the CN phase correlations in  $^{28}\text{Si}(\vec{p}, p')$  scattering were found to be strongly camouflaged. They were not discovered in channel-channel correlation analysis <sup>1)</sup> nor in the statistical analysis of the correlation between AP and cross section <sup>3)</sup> based completely on the randomness concept.

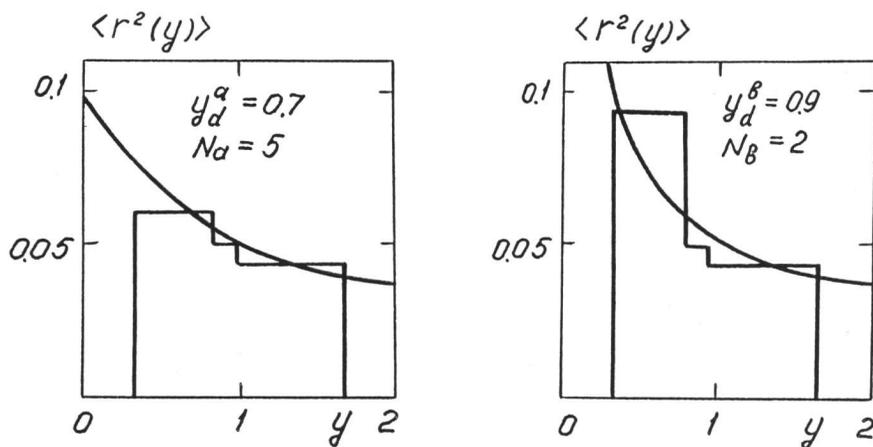


Fig. 1. Experimental (histograms) and calculated correlation dependences of  $\langle r^2(y) \rangle$  variance versus  $y$ . Values  $y_d^a$ ,  $y_d^b$ ,  $N_a$  and  $N_b$  have been chosen by visual fitting.

#### References

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